

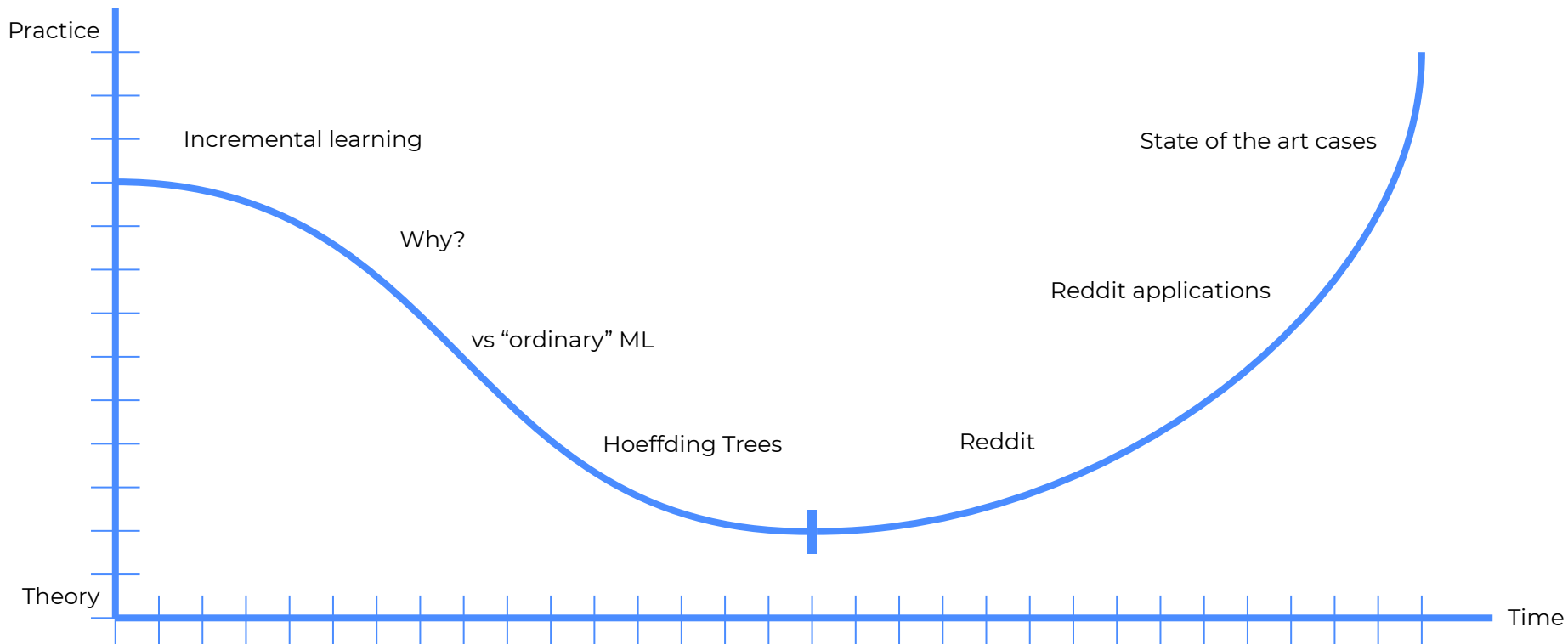


IncRedimental

**a talk about incremental machine learning and
applications of Reddit dataset**

Jan Sawicki

What will we talk about?





VIRAL

Virality of Information on Reddit Analysed Live

Jan Sawicki

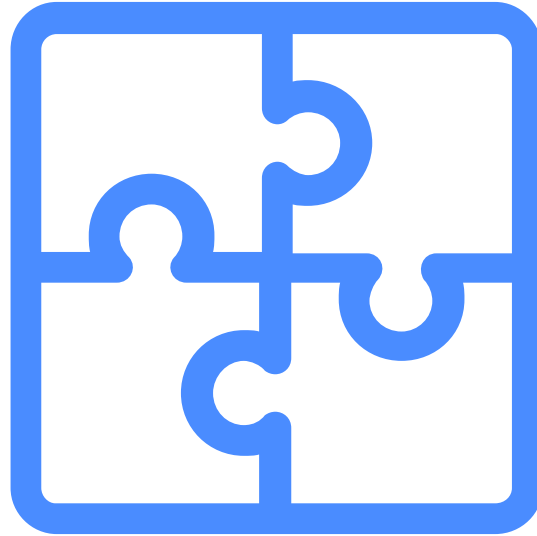
The Idea

- What make things go trendy?
- Is sexiness universal regardless of people interest/domain?
- How to predict if something goes viral?
- How do virality determinants change over time?

The domain(s) of the research

Natural Language
Processing

?



Machine learning

Big Data



VIRAL

Virality of Information on Reddit Analysed Live

Jan Sawicki

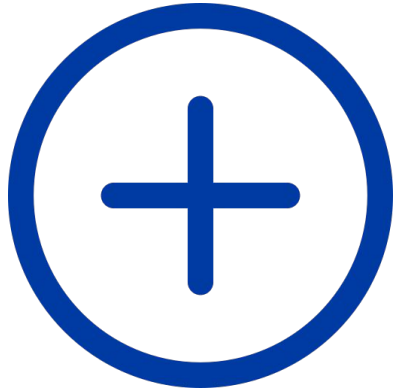


VIRAL

Virality of Information on **Reddit** Analysed **Live**

Jan Sawicki

Agenda



Online learning

aka incremental
learning



Reddit

TUDFE
(The Ultimate Dataset
For Everything)

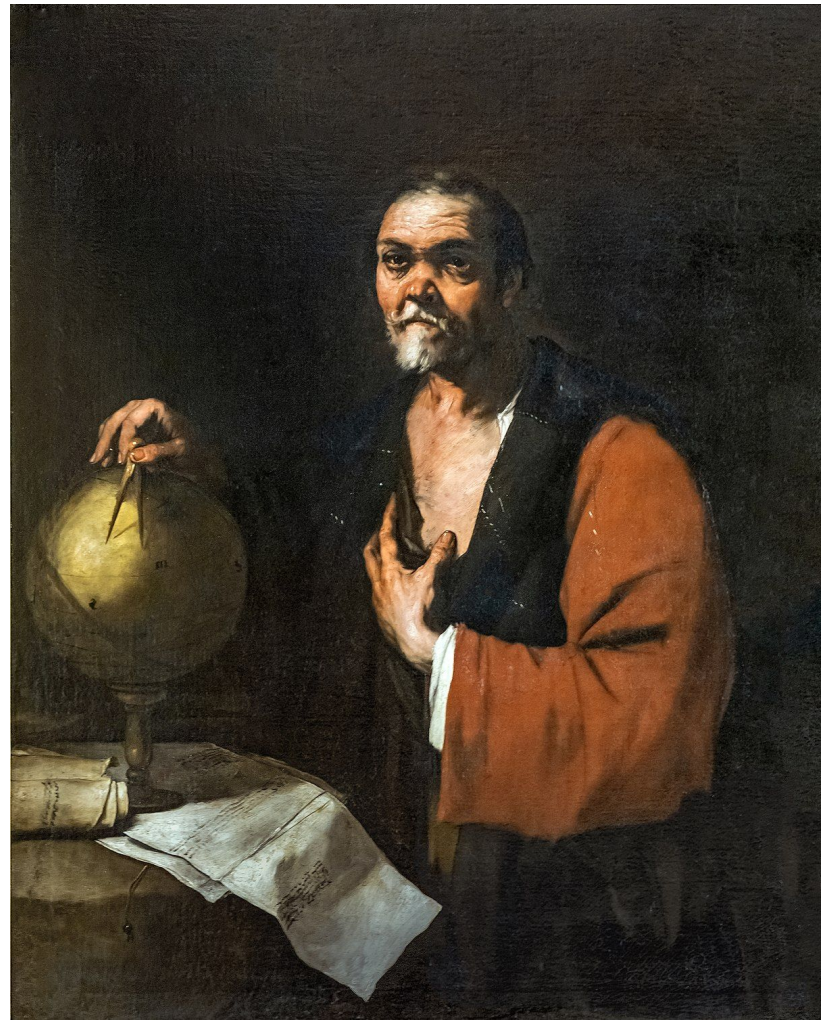


01

Incremental learning

A completely different approach to machine learning

Panta rhei



2018 *This Is What Happens In An Internet Minute*

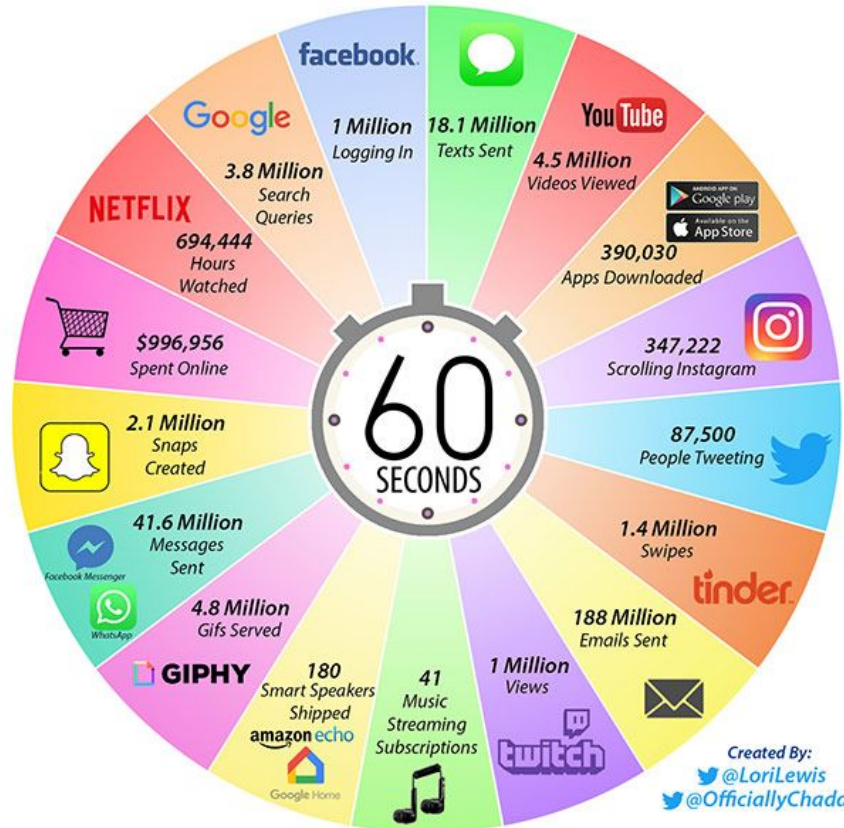


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@LoriLewis
@OfficiallyChadd

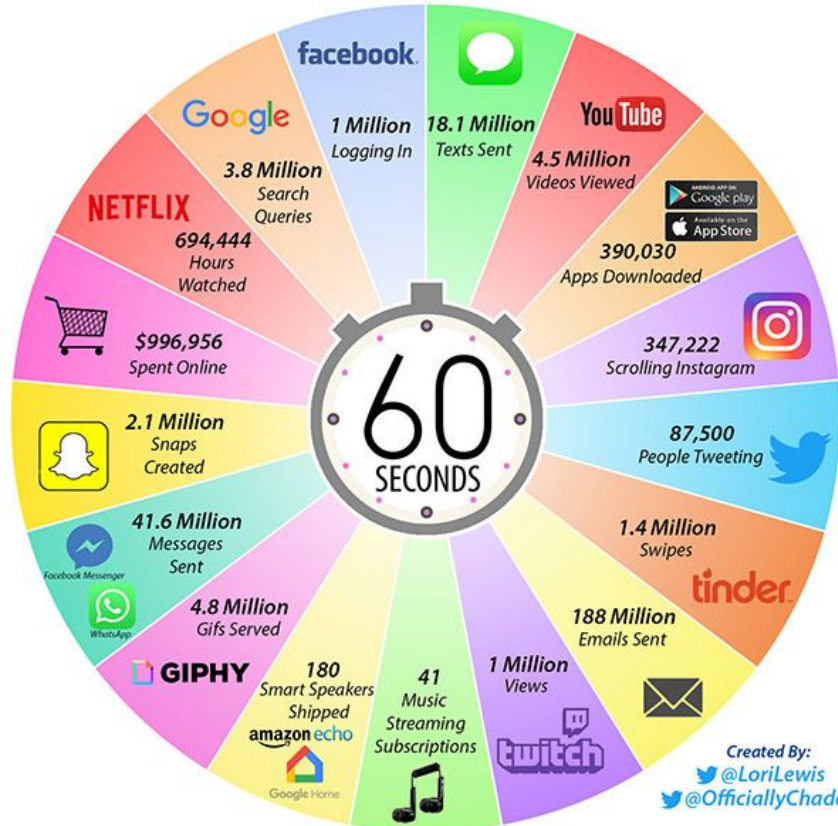
2018 *This Is What Happens In An Internet Minute*



2019 *This Is What Happens In An Internet Minute*



2019 *This Is What Happens In An Internet Minute*



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2020 *This Is What Happens In An Internet Minute*



Created By:
[@LoriLewis](#)
[@OfficiallyChadd](#)

Incremental Learning

“Incremental learning refers to the situation of continuous model adaptation based on a constantly arriving data stream”

Gepperth, Alexander, and Barbara Hammer. "Incremental learning algorithms and applications." In European symposium on artificial neural networks (ESANN). 2016.

Online Learning

“Incremental learning refers to the situation of continuous model adaptation based on a constantly arriving data stream”

+

The model does not “store” the previous data

Saffari, Amir, Christian Leistner, Jakob Santner, Martin Godec, and Horst Bischof. "On-line random forests." In 2009 IEEE 12th international conference on computer vision workshops, ICCV workshops, pp. 1393-1400. IEEE, 2009.

Why incremental?

Dataset availability

Not everything is available at our whim

Concept drift

Things change. A lot.

Evolution

Models are more 'flexible'

Learning time (?)

No more countless hours of GPU computation and still getting 50% accuracy

Yang, Qing, Yudi Gu, and Dongsheng Wu. **"Survey of incremental learning."** In 2019 Chinese Control And Decision Conference (CCDC), pp. 399-404. IEEE, 2019.

Read, Jesse, Albert Bifet, Bernhard Pfahringer, and Geoff Holmes. **"Batch-incremental versus instance-incremental learning in dynamic and evolving data."** In International symposium on intelligent data analysis, pp. 313-323. Springer, Berlin, Heidelberg, 2012.

Shen, Wei-Min. **Efficient Incremental Induction of Decision Lists. Can Incremental Learning Outperform Non-Incremental Learning?.** UNIVERSITY OF SOUTHERN CALIFORNIA MARINA DEL REY INFORMATION SCIENCES INST, 1996.

Why not incremental?

Reproducibility

How do we reproduce if it is still running?
How to reproduce if it is

Data processing

How to process if we do not know the input?
(e.g. embeddings)

Parameters tuning

How to tune for something we do not know?

Stability-plasticity dilemma

How to adjust if we don't know what to adjust for?

Yang, Qing, Yudi Gu, and Dongsheng Wu. "**Survey of incremental learning.**" In 2019 Chinese Control And Decision Conference (CCDC), pp. 399-404. IEEE, 2019.

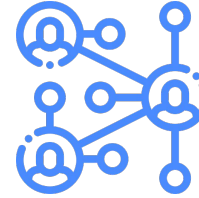
Read, Jesse, Albert Bifet, Bernhard Pfahringer, and Geoff Holmes. "**Batch-incremental versus instance-incremental learning in dynamic and evolving data.**" In International symposium on intelligent data analysis, pp. 313-323. Springer, Berlin, Heidelberg, 2012.

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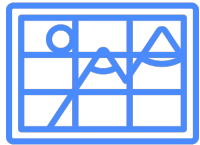
Applications



Robotics



**Outlier
detection**



**Image
processing**



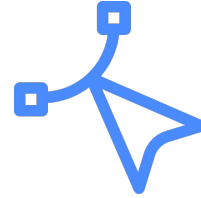
Medical field

Methods



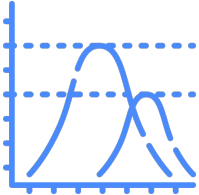
Random forest

Incremental random forest



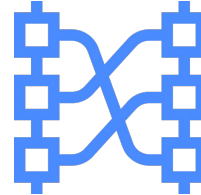
SVM

Incremental SVM



Naive Bayes

Incremental naive Bayes



Neural network

Incremental neural network

Example: Hoeffding Tree

HoeffdingTree (S, X, G, δ)

Let HT be a tree with a single leaf l_1 (the root).

Let $X_1 = X \cup \{X_\emptyset\}$.

Let $G_1(X_\emptyset)$ be the G obtained by predicting the most frequent class in S .

For each class y_k

For each value x_{ij} of each attribute $X_i \in X$

 Let $n_{ijk}(l_1) = 0$

For each example (x, y_k) in S

 Sort (x, y) into a leaf l using HT.

For each x_{ij} in x such that $X_i \in X_1$

 Increment $n_{ijk}(l)$.

 Label l with the majority class among the examples seen so far at l .

If the examples seen so far at l are not all of the same class, **then**

 Compute $G_1(X_i)$ for each attribute $X_i \in X_1 - \{X_\emptyset\}$ using the counts $n_{ijk}(l)$.

 Let X_a be the attribute with highest G_1 .

 Let X_b be the attribute with second-highest G_1 .

 Compute ϵ using Equation 1.

If $G_1(X_a) - G_1(X_b) > \epsilon$ and $X_a \neq X_\emptyset$, **then**

 Replace l by an internal node that splits on X_a .

For each branch of the split

 Add a new leaf l_m , and let $X_m = X - \{X_a\}$.

 Let $G_m(X_\emptyset)$ be the G obtained by predicting the most frequent class at l_m .

For each class y_k and each value x_{ij} of each attribute $X_i \in X_m - \{X_\emptyset\}$

 Let $n_{ijk}(l_m) = 0$.

Return HT

Equation 1: $\epsilon = \sqrt{\frac{R^2 \ln \frac{1}{\delta}}{2n}}$

Inputs:

S is a sequence of examples

X is a set of discrete attributes

G(.) is a split evaluation function

δ is one minus the desired probability of choosing the correct attribute at any given node

n_{ijk} is the sufficient statistics needed to compute most heuristic measures

Example: Hoeffding Tree

HoeffdingTree(Stream, δ)

Input: a stream of labeled examples, confidence parameter

let HT be a tree with a single leaf (root)

init counts n_{ijk} at root

for each example (x, y) in Stream
 do HTGrow((x, y) , HT, δ)

HTGROW((x, y) , HT, δ)

 sort (x, y) to leaf l using HT

 Update counts n_{ijk} at leaf l

if examples seen so far at l are not all of the same class **then**
 compute G for each attribute

if $G(\text{best attribute}) - G(\text{second best}) > \sqrt{\frac{R^2 \ln \frac{1}{\delta}}{2n}}$ **then**
 split leaf on best attribute

for each branch

do start a new leaf and initialize counts

A bit of theory

Theorem

If HT_{δ} is the tree produced by the Hoeffding tree algorithm with desired probability δ given infinite examples, DT_* is the asymptotic batch tree, and p is the leaf probability, then $\mathbf{E}[\Delta_i(HT_{\delta}, DT_*)] \leq \delta/p$.

Definition

The **extensional disagreement** Δ_e between two decision trees DT_1 and DT_2 is the probability that they will produce different class predictions for an example:

$$\Delta_e(DT1, DT2) = \sum P(x) I[DT_1(x) \neq DT_2(x)]$$

Definition

The **intensional disagreement** Δ_i between two decision trees DT_1 and DT_2 is the probability that the path of an example through DT_1 will differ from its path through DT_2 :

$$\Delta_i(DT1, DT2) = \sum P(x) I[\text{Path}_1(x) \neq \text{Path}_2(x)]$$

I is an indicator function which returns 1 (agree) or 0 (disagree)

$$\Delta_i(DT1, DT2) \geq \Delta_e(DT1, DT2)$$

Proof. For brevity, we will refer to intensional disagreement simply as disagreement. Consider an example \mathbf{x} that falls into a leaf at level l_h in HT_δ , and into a leaf at level l_d in DT_* . Let $l = \min\{l_h, l_d\}$. Let $\text{Path}_H(\mathbf{x}) = (N_1^H(\mathbf{x}), N_2^H(\mathbf{x}), \dots, N_l^H(\mathbf{x}))$ be \mathbf{x} 's path through HT_δ up to level l , where $N_i^H(\mathbf{x})$ is the node that \mathbf{x} goes through at level i in HT_δ , and similarly for $\text{Path}_D(\mathbf{x})$, \mathbf{x} 's path through DT_* . If $l = l_h$ then $N_l^H(\mathbf{x})$ is a leaf with a class prediction, and similarly for $N_l^D(\mathbf{x})$ if $l = l_d$. Let I_i represent the proposition "Path $_H(\mathbf{x}) = \text{Path}_D(\mathbf{x})$ up to and including level i ," with $I_0 = \text{True}$. Notice that $P(l_h \neq l_d)$ is included in $P(N_l^H(\mathbf{x}) \neq N_l^D(\mathbf{x})|I_{l-1})$, because if the two paths have different lengths then one tree must have a leaf where the other has an internal node. Then, omitting the dependency of the nodes on \mathbf{x} for brevity,

$$\begin{aligned} & P(\text{Path}_H(\mathbf{x}) \neq \text{Path}_D(\mathbf{x})) \\ &= P(N_1^H \neq N_1^D \vee N_2^H \neq N_2^D \vee \dots \vee N_l^H \neq N_l^D) \\ &= P(N_1^H \neq N_1^D|I_0) + P(N_2^H \neq N_2^D|I_1) + \dots \\ &\quad + P(N_l^H \neq N_l^D|I_{l-1}) \\ &= \sum_{i=1}^l P(N_i^H \neq N_i^D|I_{i-1}) \leq \sum_{i=1}^l \delta = \delta l \quad (2) \end{aligned}$$

Let $HT_\delta(S)$ be the Hoeffding tree generated from training sequence S . Then $E[\Delta_i(HT_\delta, DT_*)]$ is the average over all infinite training sequences S of the probability that an example's path through $HT_\delta(S)$ will differ from its path through DT_* :

$$\begin{aligned} & E[\Delta_i(HT_\delta, DT_*)] \\ &= \sum_S P(S) \sum_{\mathbf{x}} P(\mathbf{x}) I[\text{Path}_H(\mathbf{x}) \neq \text{Path}_D(\mathbf{x})] \\ &= \sum_{\mathbf{x}} P(\mathbf{x}) P(\text{Path}_H(\mathbf{x}) \neq \text{Path}_D(\mathbf{x})) \\ &= \sum_{i=1}^{\infty} \sum_{\mathbf{x} \in L_i} P(\mathbf{x}) P(\text{Path}_H(\mathbf{x}) \neq \text{Path}_D(\mathbf{x})) \quad (3) \end{aligned}$$

where L_i is the set of examples that fall into a leaf of DT_* at level i . According to Equation 2, the probability that

Let p_i be the probability that an example that reaches level i in a decision tree falls into a leaf at that level. To simplify, we assume that the leaf probability is constant, i.e., $p_i = p$. This is typically appropriate for trees that are generated by the Hoeffding algorithm. Let δ be the asymptotic error at each node of the tree using infinite examples, and let p be the expected value of the leaf probability. The following result, produced by the Hoeffding inequality given infinite examples, states that $E[\Delta_i(HT_\delta, DT_*)] \leq \delta/p$.

intensional disagreement of an example \mathbf{x} that falls into a leaf at level l_d in DT_* and into a leaf at level l_h in HT_δ up to level l , where $l = \min\{l_h, l_d\}$. Let $\text{Path}_H(\mathbf{x}) = (N_1^H(\mathbf{x}), N_2^H(\mathbf{x}), \dots, N_l^H(\mathbf{x}))$ be \mathbf{x} 's path through HT_δ up to level l , where $N_i^H(\mathbf{x})$ is the node that \mathbf{x} goes through at level i in HT_δ , and similarly for $\text{Path}_D(\mathbf{x})$, \mathbf{x} 's path through DT_* . If $l = l_h$ then $N_l^H(\mathbf{x})$ is a leaf with a class prediction, and similarly for $N_l^D(\mathbf{x})$ if $l = l_d$. Let I_i represent the proposition "Path $_H(\mathbf{x}) = \text{Path}_D(\mathbf{x})$ up to and including level i ," with $I_0 = \text{True}$. Notice that $P(l_h \neq l_d)$ is included in $P(N_l^H(\mathbf{x}) \neq N_l^D(\mathbf{x})|I_{l-1})$, because if the two paths have different lengths then one tree must have a leaf where the other has an internal node. Then, omitting the dependency of the nodes on \mathbf{x} for brevity,

$$\begin{aligned} & P(N_1^H \neq N_1^D \vee N_2^H \neq N_2^D \vee \dots \vee N_l^H \neq N_l^D) \\ &= P(N_1^H \neq N_1^D|I_0) + P(N_2^H \neq N_2^D|I_1) + \dots \\ &\quad + P(N_l^H \neq N_l^D|I_{l-1}) \\ &\leq \sum_{i=1}^l \delta = \delta l \quad (2) \end{aligned}$$

generated from training sequence S . Then $E[\Delta_i(HT_\delta, DT_*)]$ is the average over all infinite training sequences S of the probability that an example's path through $HT_\delta(S)$ will differ from its path through DT_* :

$$\begin{aligned} & E[\Delta_i(HT_\delta, DT_*)] \\ &= \sum_S P(S) \sum_{\mathbf{x}} P(\mathbf{x}) I[\text{Path}_H(\mathbf{x}) \neq \text{Path}_D(\mathbf{x})] \\ &= \sum_{\mathbf{x}} P(\mathbf{x}) P(\text{Path}_H(\mathbf{x}) \neq \text{Path}_D(\mathbf{x})) \\ &= \sum_{i=1}^{\infty} \sum_{\mathbf{x} \in L_i} P(\mathbf{x}) P(\text{Path}_H(\mathbf{x}) \neq \text{Path}_D(\mathbf{x})) \quad (3) \end{aligned}$$

where L_i is the set of examples that fall into a leaf of DT_* at level i . According to Equation 2, the probability that

an example's path through $HT_\delta(S)$ will differ from its path through DT_* , given that the latter is of length i , is at most δi (since $i \geq l$). Thus

$$E[\Delta_i(HT_\delta, DT_*)] \leq \sum_{i=1}^{\infty} \sum_{\mathbf{x} \in L_i} P(\mathbf{x}) (\delta i)$$

an example's path through $HT_\delta(S)$ will differ from its path through DT_* , given that the latter is of length i , is at most δi (since $i \geq l$). Thus

$$\begin{aligned} E[\Delta_i(HT_\delta, DT_*)] &\leq \sum_{i=1}^{\infty} \sum_{\mathbf{x} \in L_i} P(\mathbf{x}) (\delta i) \\ &= \sum_{i=1}^{\infty} (\delta i) \sum_{\mathbf{x} \in L_i} P(\mathbf{x}) \quad (4) \end{aligned}$$

The sum $\sum_{\mathbf{x} \in L_i} P(\mathbf{x})$ is the probability that an example \mathbf{x} will fall into a leaf of DT_* at level i , and is equal to $(1-p)^{i-1}p$, where p is the leaf probability. Therefore

$$\begin{aligned} & E[\Delta_i(HT_\delta, DT_*)] \\ &\leq \sum_{i=1}^{\infty} (\delta i) (1-p)^{i-1} p = \delta p \sum_{i=1}^{\infty} i (1-p)^{i-1} \\ &= \delta p \left[\sum_{i=1}^{\infty} (1-p)^{i-1} + \sum_{i=2}^{\infty} (1-p)^{i-1} + \dots \right. \\ &\quad \left. + \sum_{i=k}^{\infty} (1-p)^{i-1} + \dots \right] \\ &= \delta p \left[\frac{1}{p} + \frac{1-p}{p} + \dots + \frac{(1-p)^{k-1}}{p} + \dots \right] \\ &= \delta \left[1 + (1-p) + \dots + (1-p)^{k-1} + \dots \right] \\ &= \delta \sum_{i=0}^{\infty} (1-p)^i = \frac{\delta}{p} \quad (5) \end{aligned}$$

This completes the demonstration of Theorem 1. \square

Theorem 1, ensuring $\delta = 0.1\%$ requires 380 examples, and ensuring $\delta = 0.0001\%$ requires only 345 additional examples. An exponential improvement in δ , and therefore in expected disagreement, can be obtained with a linear increase in the number of examples. Thus, even with very small leaf probabilities (i.e., very large trees), very good agreements can be obtained with a relatively small number of examples per

**But how
do I get
started?**



**Where do
I find a
dataset?**





02

Reddit

The ultimate CATEGORIZED dataset for everything



How are things on Reddit?

The analysis of 180 papers using Reddit (2019-2020)

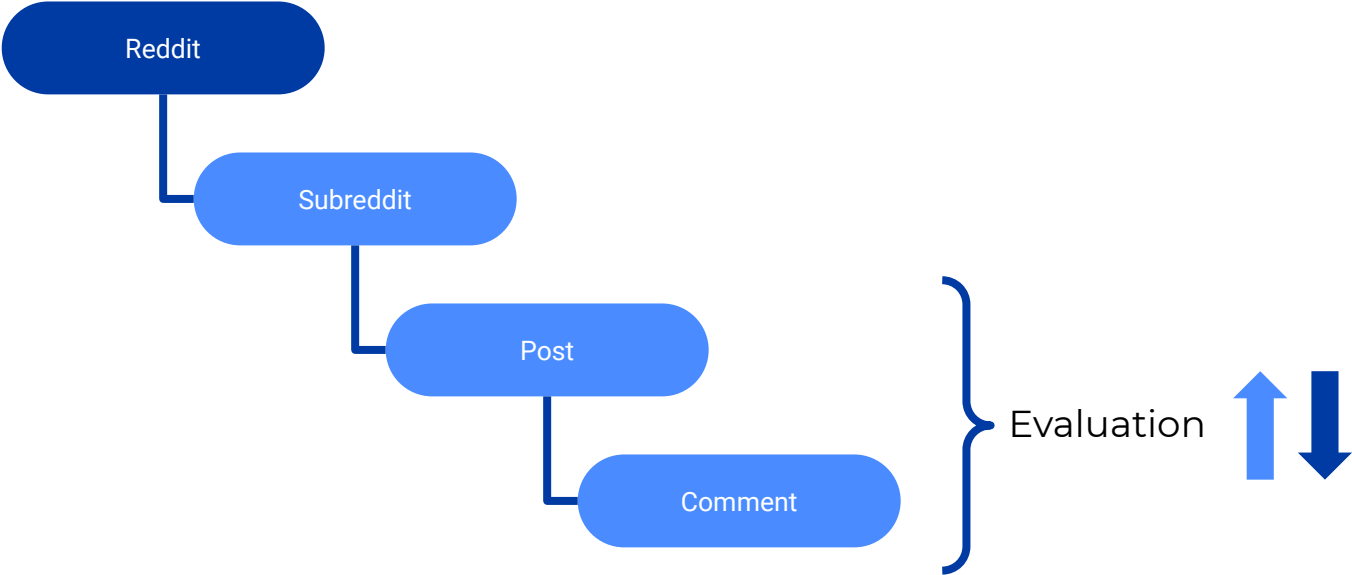
Jan Sawicki



The anatomy of Reddit: An overview of academic research

- a thorough **description of the Reddit platform**
- description of **reddit-subreddit-post-comment** architecture
- analysis of sizes **discussion trees, scores of posts, social aspects**
- short comparison with **other social platforms**

Reddit structure



The charts



Main points

- Embeddings and networks
- Pushshift API instead of Reddit API
- Savvas Zannettou and Jeremy Blackburn
- Covid (obviously)
- Conversation analysis, prediction, modelling etc.
- Trend analysis uses networks



Hypothesis

Reddit is a categorized data source for any possible topic and data science task.

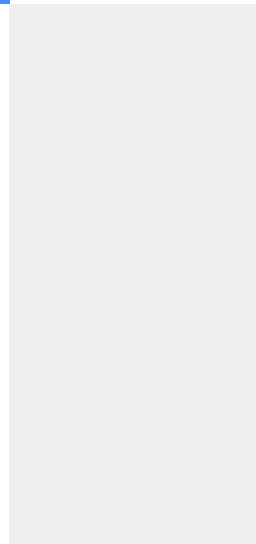
Experiment

Hypothesis

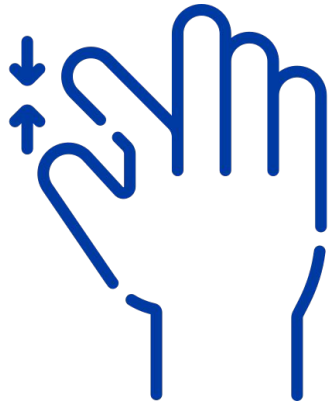
Reddit is a ~~complete~~ complete dataset for all possible data science tasks.

Proof (by example)

I **analyzed** manually and automatically **180** papers about Reddit from 01-01-**2019** - 10-03-**2021**

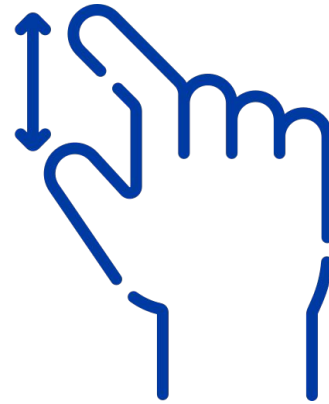


Data visualization?



Focus

“Zoomed-in” details



Context

Overall look



The Pushshift Reddit Dataset

- a whole **queryable dataset of Reddit** posts
- architecture description (**PostgreSQL**)
- data **availability**
- data **format**

Reddit ❤️ Python



Reddit API

Live feed from Reddit
(and much more!)



Pushshift API

Full archive of Reddit
with all the juicy data
we want!

Who Let The Trolls Out? Towards Understanding State-Sponsored Trolls

- Internet **trolling** (focus on US 2016 election, Donald Trump)
- Analysing behaviours of troll
- Bots from **Russia** and **Iran**
- 10M posts from 5.5K “users” (**Twitter, Reddit, 4chan, Gab**)
- Subreddits: uncen, funny, Bad_Cop_No_Donut, AskReddit, CryptoCurrency, PoliticalHumor, news, worldnews, gifs, aww, politics, The_Donald, racism, POLITIC, Bitcoin, copwatch, blackpower, interestingasfuck, uspolitics, newzealand,
- “Russian trolls were **pro-Trump** and Iranian trolls **anti-Trump**”
- “Russian trolls were more **efficient** and influential in **spreading URLs**”
- “automated systems to detect trolls are likely to be difficult to realize: trolls **change their behavior** over time, and thus even a classifier that works perfectly on one campaign might not catch future campaigns”
- Methods: **Hawkes Processes**, NLP (**word embedding**, hashtags analysis), **graph network** analysis

A Quantitative Approach to Understanding Online Antisemitism

- **Hypothesis** (“RQs”)
- **r/The_Donald**
- **2.6B posts** (Reddit, /pol/, Gab, and Twitter)
- Analysing **antisemitism** propaganda
- **“Meme weaponization”**
- **“Happy Merchant”** meme
- Methods: NLP (**word2vec, bag of words**), **changepoint analysis, Hawkes Processes**, graph **networks, SVM, Naive Bayes**
- **“Ethical Considerations.** During this work, we only collect publicly available data posted on /pol/ and Gab. We make no attempt to de-anonymize users and we keep the collected data in encrypted format. Overall, we follow best ethical practises as documented in “Ethical research standards in a world of big data.” ”

ELI5: Long Form Question Answering

- GENIUS idea to use r/**ELI5** for question and answers
- **“How”**, **“Why”** and **“What”** questions are most popular
- Comparisons with other QA datasets (e.g. MS MARCO v2, TriviaQA, NarrativeQA)
- Utilizing **ROUGE** metric to compare model output vs r/ELI5

How do climate change skeptics engage with opposing views?

- [r/climateskeptics](#)
- “Echo chambers”
- Classifying posts as “consonant” or “dissonant”
- Manual an automatic labelling
- Hypotheses
- “(...) tendency for more **senior users** to be especially **engaged** within the discussions in reaction to submissions that contain **opposing views** and dissonant information”
- “users who **engaged with opposing views** were more likely to **return** to the forum than those **engaging with attitude confirming** skeptic content”
- “most important finding of this study is, that in contrast to the classical theory of echo chambers, **‘breaking up the echo chamber’ with information on the consequences of climate change does not seem to work**”

Similar: “No Echo in the Chambers of Political Interactions on Reddit”

“TABLE I: Comparative evaluation results for three datasets. We report micro-averaged F1 scores. “-” signifies no results are published for the given setting”

Methods	Pubmed	Reddit		PPI	
	Sup. F1	Unsup. F1	Sup. F1	Unsup. F1	Sup. F1
GCN	0.875	-	0.930	-	0.865
FastGCN	0.880	-	0.937	-	0.607
GAT	0.883	-	0.950	-	0.973
GraphSAGE-GCN	0.849	0.908	0.930	0.465	0.500
GraphSAGE-mean	0.888	0.897	0.950	0.486	0.598
RGCN-LSTM	0.908	0.919	0.963	0.791	0.992
RGCN-GRU	0.900	0.915	0.964	0.765	0.991
RGAT-LSTM	0.905	0.921	0.964	0.806	0.994
RGAT-GRU	0.902	0.913	0.964	0.791	0.994

- GCN are NN which can take graphs as input and perform different task like classification, labelling etc. on node level, edge level etc.
- Comparing **graph embedding + RNN** with **graph + RGNN**
- Used in tandem with **DeepWalk** (graph embedding algorithm, quite slow)
- Datasets: **Pubmed**, **Reddit** (unspecified), **PPI** (bioinformatics dataset with proteins)
- Comparing GNN in **supervised** and **unsupervised** setting
- Test network types: **GCN**, **RGCN**, **RGAT**
- “Our results demonstrate that GNN models with **recurrent units are much easier to extend to deeper models than GNN models with residual connections**. In our further analyses, we show RGNN models are more robust to noisy information from graph structure as well as local features.”

Similar:

“Grounded conversation generation as guided traverses in commonsense knowledge graphs”

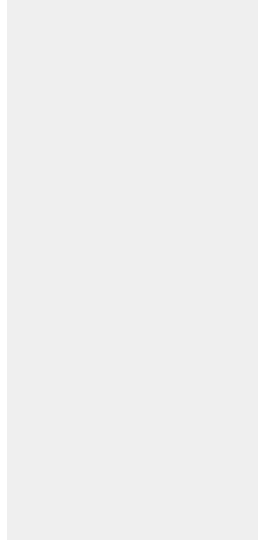
Live experiment

Hypothesis


Reddit is a complete dataset for all possible data science tasks.

Proof (by example)

Let's see if we can find something interesting for YOU.



The concept drift

(Reddit evaluation process + IML) + (Scientific research+ IML) = 

Finis

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Bibliography

Incremental Machine learning

Definition

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